

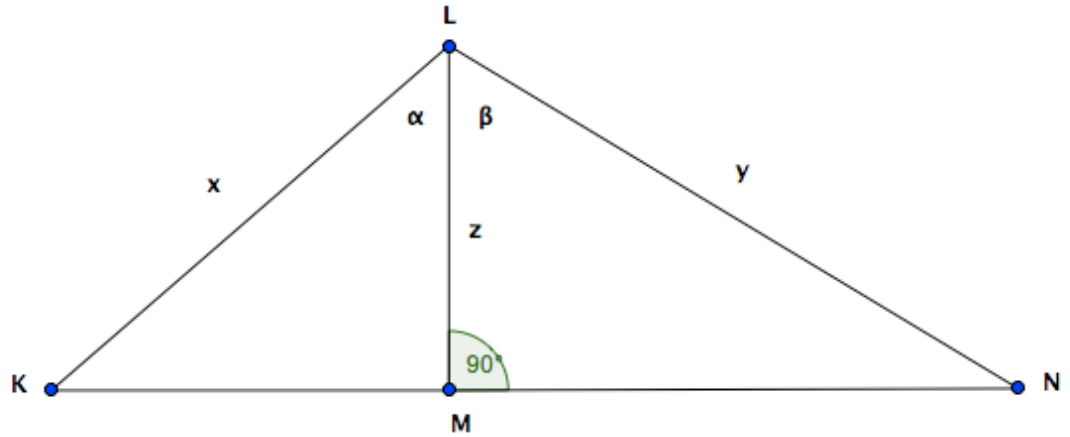
Let's derive some new trig identities:

1. Confirm the following areas:

$$A(\triangle KLM) = \frac{1}{2}xz \sin \alpha$$

$$A(\triangle NLM) = \frac{1}{2}yz \sin \beta$$

$$A(\triangle KLN) = \frac{1}{2}xy \sin(\alpha + \beta)$$



2. Is it true that $A(\triangle KLM) + A(\triangle NLM) = A(\triangle KLN)$?

3. This must mean that $\frac{1}{2}xz \sin \alpha + \frac{1}{2}yz \sin \beta = \frac{1}{2}xy \sin(\alpha + \beta)$. Solve this equation for $\sin(\alpha + \beta)$. Your final equation should not have any x's, y's or z's in it.

4. Replace β with $-\beta$ and simplify to get an identity for $\sin(\alpha - \beta)$.

Now list all the angle addition formulas and chant the chant...

Find the following values. NO CALCULATOR.

1. $\sin 255^\circ$

2. $\cos 195^\circ$

3. $\sin 345^\circ$

4. $\sin \frac{19\pi}{12}$

5. $\cos \frac{-\pi}{12}$

6. $\sin 140^\circ \cos 20^\circ - \cos 140^\circ \sin 20^\circ$